| 03: Kinematics in One Dimension |  |
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| Key Physics Terms | Constant Velocity vs. Constant Acceleratio |
| - Distance: The quantity that describes the position of an object. Distance is a scalar quantity. <br> - Displacement: The quantity that describes the change in location of an object which includes its direction of motion. Displacement is a vector quantity. <br> - Speed: How fast something moves; the distance an object travels per unit of time; the magnitude of velocity. <br> - Velocity: Speed of an object which includes its direction of motion. Velocity is a vector quantity. <br> - Instantaneous velocity: The velocity of an object at any given instant in time. Velocity is the change in position with respect to time. <br> - Average velocity: Total distance traveled divided by total time interval. <br> - Constant velocity: A velocity that does not change with time. <br> - Acceleration: Rate at which an object's velocity changes with time; this change may in speed, direction, or both. Acceleration is the change in velocity with respect to time. <br> - Vector: A quantity that represents magnitude (size) and direction. It is usually represented with an arrow to indicate the appropriate direction. They may or may not be drawn to scale. <br> - Scalar: A quantity that can be completely described its magnitude, or size. It has no direction associated with its size. <br> Key Formulas <br> - $v=d / t$ <br> - $a=\Delta v / \Delta t=\left(v_{f}-v_{i}\right) / t$ <br> - $d=v_{i} t+a t^{2} / 2$ <br> - $\mathrm{v}_{\mathrm{f}}{ }^{2}=\mathrm{v}_{\mathrm{i}}{ }^{2}+2 \mathrm{ad}$ <br> - acceleration due to gravity $=-9.8 \mathrm{~m} / \mathrm{s}^{2}$ <br> - $\mathrm{v}=\mathrm{dx} / \mathrm{dt}$ <br> - $a=d v / d t$ | - An object moving with a constant velocity would cover equal amounts of distance in equal time intervals. <br> - An object moving with a constant acceleration would cover varying amounts of distance in equal time intervals. |
|  | Typical Key Metric Units |
|  | - Displacement/distance: meters, m <br> - Velocity/speed: m/s <br> - Acceleration: $\mathrm{m} / \mathrm{s}^{2}, \mathrm{~m} / \mathrm{s} / \mathrm{s}$ <br> - Time: s |
|  | Key Convention |
|  | - Assign a direction as positive. <br> - Keep this convention throughout the problem. <br> - Any quantities in the opposite direction must be negative. <br> - Often, up and right are positive, while down and left are negative. <br> - Even if someone else chooses the opposite direction as positive, for their sign convention they will arrive at the correct answer, assuming everything else is done correctly. |
|  | Kinematics Problem Solving Tips |
|  | - These tips will make it easier to solve any kinematics physics problems. <br> - Thoroughly read the entire problem. <br> - Draw a diagram if needed. <br> - Identify all given information. <br> - Identify the quantity to be found. <br> - Select appropriate formula(s) that incorporate what you know and what you want to find. <br> - Convert units if needed. Use units throughout your calculations. <br> - Do any mathematical calculations carefully. |
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| Variables Used | Typical Kinematics Problem |
| - d=distance <br> - t=time <br> - $\mathrm{v}=$ velocity (usually average velocity or constant velocity) <br> - $a=$ acceleration <br> - $\mathrm{v}_{\mathrm{f}}=$ final velocity <br> - $\mathrm{v}_{\mathrm{i}}=$ initial velocity <br> - $\Delta=$ change in |  |
|  | Example: A boy drops a book from a shelf that is 1.5 m above the floor. How long will it take until the book hits the ground below? |
|  | Given information: <br> distance $=1.5 \mathrm{~m}$ <br> initial velocity $=0 \mathrm{~m} / \mathrm{s}$ acceleration from gravity $=-9.8 \mathrm{~m} / \mathrm{s}^{2}$ |
| Constant Velocity Diagram |  |
| The motion of an object moving with a constant velocity is pictured below. The distance moved in each unit of time is constant since the velocity is constant too. | Unknowns: |
| $0 \bigcirc \bigcirc \bigcirc$ | Probable formula to use: $d=v_{i t}+\mathrm{at}^{2} / 2$ <br> Since $\mathrm{v}_{\mathrm{i}}=0 \mathrm{~m} / \mathrm{s}$ $d=\mathrm{at}^{2} / 2$ |
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| Constant Acceleration Diagram | Rearranging for t : $t=\sqrt{ }(2 d / a)$ <br> Substituting values: $\mathrm{t}=\sqrt{ }(2(-1.5 \mathrm{~m})) /\left(-9.8 \mathrm{~m} / \mathrm{s}^{2}\right)$ $\mathrm{t}=.55 \text { seconds }$ <br> Since we kept downward negative, both the acceleration from gravity and the distance were negative since they each pointed down. |
| The motion of an object moving with a constant acceleration is pictured below. The distance moved in each unit of time increases. In fact, it is proportional to the square of the time. |  |
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[^0] blank sheet of paper. Review it again before the exams.


[^0]:    How to Use This Cheat Sheet: These are the keys related this topic. Try to read through it carefully twice then recite it out on a

